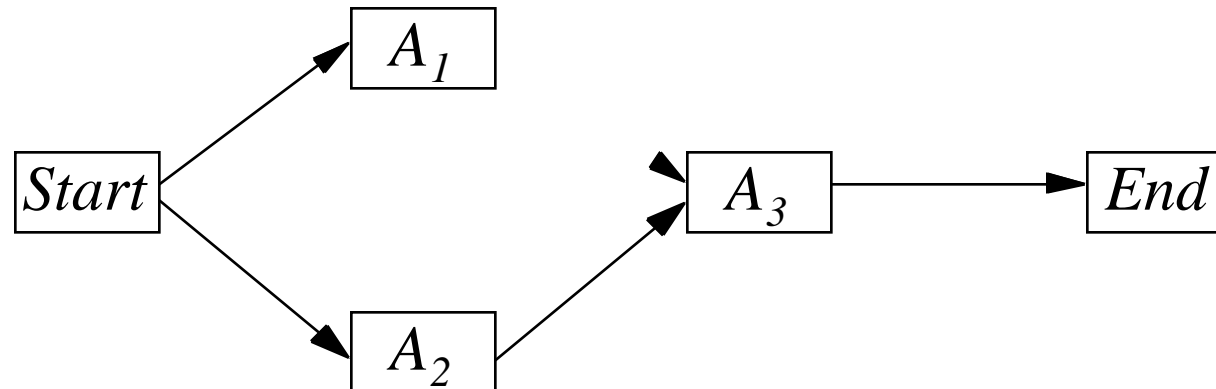


Search through plan space

- Planning as a search through plan space
 - nodes represent partially specified plans
 - edges denote plan-refinement operations
- Facilitates thinking about alternative
 - representations of partially specified plans
 - plan-refinement operators
- Partial order plan representations
 - a plan is represented as a partially ordered sequence
 - planning algorithm practices *least commitment*

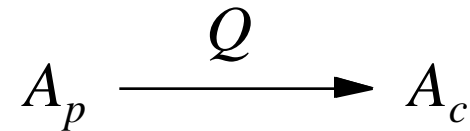
Partial order plans

- A plan is a three tuple $\langle A, O, L \rangle$
 - A is the set of *actions* in the plan
 - initially we consider only ground actions
 - O is the set of *ordering constraints* among the actions
 - O must be consistent
 - L is the set of *causal links*



Causal links

- Records *dependencies* between actions
- A causal link consists of
 - the producer A_p
 - the consumer A_c
 - the proposition Q
- A causal link states that
 - action A_p has an effect Q
 - action A_c has a precondition Q
 - Q will be made true for A_c by A_p



Threats

- An action A_t is a *threat* to a causal link $A_p \xrightarrow{Q} A_c$ in a plan $\langle A, O, L \rangle$ if
 - $O \quad \{A_p < A_t < A_c\}$ is consistent
 - A_t has $\neg Q$ as an effect

Resolving a threat

- Threats are resolved by adding additional ordering constraints
- *Promotion*
 - add the constraint $A_c < A_t$
- *Demotion*
 - add the constraint $A_t < A_p$

Representing null plans

Introduce two pseudo-actions

- *Start*: effects are the initial state and preconditions are empty
- *End*: preconditions are the goals and effects are empty
- Ordering constraint: $Start < End$

Start
on C A clear B clear C on A Table on B Table

on A B on B C
End

Partial order planning

algorithm $POP(<A, O, L>, Agenda)$

if $Agenda$ is empty **then return** $<A, O, L>$

Remove some $<Q, A_{need}>$ from $Agenda$

$A_{add} =$ **choose** an action that can be ordered before A_{add}
and has effect Q (an existing or newly instantiated action)

if no such A_{add} exists **then return** “no plan”

Add $A_{add} \xrightarrow{Q} A_{need}$ to L and $A_{add} < A_{need}$ to O

if A_{add} is new **then**

$A = A \cup \{A_{add}\}$, add $preconds(A_{add})$ to $Agenda$ and $Start < A_{add} < End$ to O

for every causal link $A_p \xrightarrow{R} A_c$ threatened by some A_t **do**

choose either to *demote* A_t or to *promote* A_t consistently

if neither ordering is consistent **then return** “no plan”

endfor

$POP(<A, O, L>, Agenda)$

end POP

Example

Start

on C A clear B clear C on A Table on B Table

on A B on B C

End

A complete plan

- Figure 10 from Weld 1994

Lifting

- Use *least-commitment* in operator instantiation
- An effect can support a precondition if the two *unify*
 - add *co-designation* constraints resulting from the *most general unifier* of the effect and precondition
 - instantiate an operator by creating a copy with a fresh set of variables
- Operator preconditions can be non-codesignation constraints
- Threats need be resolved only when they are forced
 - means that a plan is complete only when all variables are instantiated
 - ensure by requiring that variables in preconditions and effects are the same and initial state has no variables

Lifted *POP*

algorithm $LPOP(<A, O, L, \boxed{B}>, Agenda)$

if $Agenda$ is empty **then return** $<A, O, L>$

 Remove some $<Q, A_{need}>$ from $Agenda$

$A_{add} =$ **choose** an action that can be ordered before A_{add}
 and has an effect that consistently unifies with Q (existing or new action)

if no such A_{add} exists **then return** “no plan”

 Add $A_{add} \xrightarrow{Q} A_{need}$ to L , $A_{add} < A_{need}$ to O , and codesignation constraints from
 unification to B

if A_{add} is new **then**

$A = A \cup \{A_{add}\}$ and $Start < A_{add} < End$ to O

 Add noncodesignation preconds of A_{add} to B and logical ones to $Agenda$

endif

for every causal link $A_p \xrightarrow{R} A_c$ threatened by some A_t **do**

choose either to *demote* A_t or to *promote* A_t consistently

if neither ordering is consistent **then return** “no plan”

endfor

$LPOP(<A, O, L, \boxed{B}>, Agenda)$

end $LPOP$

UCPOP

- Augments the basic STRIPS operator representation with
 - conditional effects
 - disjunctive preconditions
 - universal quantification